

M.A. Examination, 2014

Semester – I

Philosophy

Paper : III

Logic (Western)

Time: 3 Hours

Full Marks: 40

Questions are of value as indicated in the margin.

Answer **any four** questions

1. (a) Symbolize the following (any four): 4×2=8
- (i) If something is damaged then somebody will be blamed.
 - (ii) If anything is damaged, it will be repaired.
 - (iii) If any banana is yellow, and all yellow bananas are ripe then it is ripe.
 - (iv) If any employees are lazy, then if some positions have no future, then they will not be successful.
 - (v) If there are any participants and only women are participants, then they are women.
 - (vi) If all officers present are either captains or majors, then either some captains are present or some majors are present.
- (b) When is an individual variable free in a propositional function? 2
2. (a) What is a multiply-general proposition? Give an example. 2
- (b) Construct a formal proof of validity for any two of the following: 2×4=8
- (i) $(\exists x) Ux \supset (y)[(Uy \vee Vy) \supset Wy]$; $(\exists x) Ux. (\exists x) Wx$
 $\therefore (\exists x)(Ux. Wx)$
 - (ii) $(\exists x) Ax \supset (y)(By \supset Cy)$
 $(\exists x) Dx \supset (\exists y) By$
 $\therefore (\exists x)(Ax. Dx) \supset (\exists y) Cy$
 - (iii) $(x)(Lx \supset Mx)$
 $(x)(Mx \supset Nx)$
 $\therefore (\exists x) Lx \supset (\exists y) Ny$

P.T.O.

3. Construct demonstrations for each of the following (*any two*): 2×5=10

(i) $(x)(Fx \supset Gx) \supset [(x)Fx \supset (x)Gx]$

(ii) $[(\exists x)Fx \supset (\exists x)Gx] \supset (x)[Fx \supset (\exists x)Gx]$

(iii) $(x)Fx \supset \sim (\exists x) \sim Fx$

4. Test the validity of the following by the tree method (*any two*): 2×5=10

(i) $(\exists x)[Mx.(y)(My \supset Dyx)]$

$\therefore (\exists x)(Mx.Dxx)$

(ii) $(x)[Ax \supset (y)(By \supset Cy)]$

$\therefore (x)Ax \supset (y)(By \supset Cy)$

(iii) $(\exists x)Fx \supset (\exists y)Gy$

$\therefore (x)Fx \supset (y)Gy$

5. (a) Prove the invalidity of *any one* of the following: 5

(i) $(\exists x)(y)(Fx \supset \sim Gy)$

$(z)(\exists y)(Ez \supset Fy)$

$\therefore (x)(z)(\sim Ex \supset Gz)$

(ii) $(\exists x)(y)(Ax \supset By)$

$(y)(\exists z)(By \supset Cz)$

$\therefore (x)(\exists z)(Ax \supset Cz)$

(b) State the rule QN. Illustrate the rule QN with the help of an example. 5

6. (a) State the rule UG. Explain the restrictions on it. 5

(b) State the rule EI. Explain the restrictions on it. 5